Volume 01, Issue 01 (Jan-Feb 2021),, PP: 11-12
www.ijsreat.com

Performance On Topological Cordial Graphs

NishatEqbal[1], Dr. Pratibha Sharma[2]
[1](*Research Scholar, Research department of Mathematics, Istanbul Technical University. India.*
[2](*Assistant Professor, Department of Mathematics, Istanbul Technical University.India.*

Abstract: B.D. Acharya [3] introduced the documentation of set - valuation as set basic of number valuation as introduced by A. Rosa [5]. For a (p, q) outline G = (V, E) and a non-void set X of cardinality n. Acharya described set indexer of G as an injective set-regarded capacity f : V(G) → 2x so much that the ability f *: $E(G) \to 2^X - \{\phi\}$ portrayed by for every f * (v1v2) = f(v1) Δ f(v2) for each v1v2 ∈ $E(G)$ is moreover injective, where 2X is thesetofallsubsetsofXandΔisthesymmetricdifferenceofsets.ForagraphG,thereexistaset-indexerf:V(G)→ 2X so much that the familyf (V) is a geology on X. An outline G = (V, E) should be a bitopological chart if there exist a set indexer f : V(G)→ 2x so much that f(V) and f * (E) ∪ $\{\phi\}$ are the two topographies on the relating groundset.LetGbeagraph.Define$f$:(G)→2^Xsuchthat{$(V(G))$}isatopologywhereXisanysetwith$|X|$ < n, number of vertices of G. The incited ability $f*$on E(G) is portrayed by1 $if\ (u) \cap (v)$*s not an empty set and singleton set*$f*(uv) = f(u) \cap f(v)$={0 $if\ f(u) \cap f(v)$ *is an empty and singletonset*.Further, $|(0) - ef(1)| \leq 1$ where $ef(0)$ = number of edges set apart with 0 and$ef(1)$ = number of edges named with 1. We say that f is a topological merry naming and an outline which yields such a checking is called topological warm graph. In this paper we proved Gortzsch graph, vertex trading of cycle Cn, Bow diagram, David's Star outline are topolological cordialgraph.
Key words: *Gortzsch outline, vertex trading of cycle Cn, Bow graph, David's Star chart andtopolological ardent graph.*

I. Introduction

The outlines treated in this paper are direct. For standard expressing and documentations we keep F. Harary [4]. Given an outline G = (V, E) , we can relate it to different topological plans. The association among topography and graph speculation is gone through various assessments. In 1983 Acharya [3] spread out another association between graph speculation and point - set topography. He portrayed a set - indexer, Let G = (V, E) be an outline, X any non - void set and 2X mean the plan of all subsets of X. A set - indexer of G is an injective set regarded capacity f : V (G) → 2Xsuch that the started ability f * : E (G) → 2X - { ϕ } described by f * (v1v2) = f(v1) Δ f (v2) for each v1v2 ∈ E (G) is in like manner injective ,

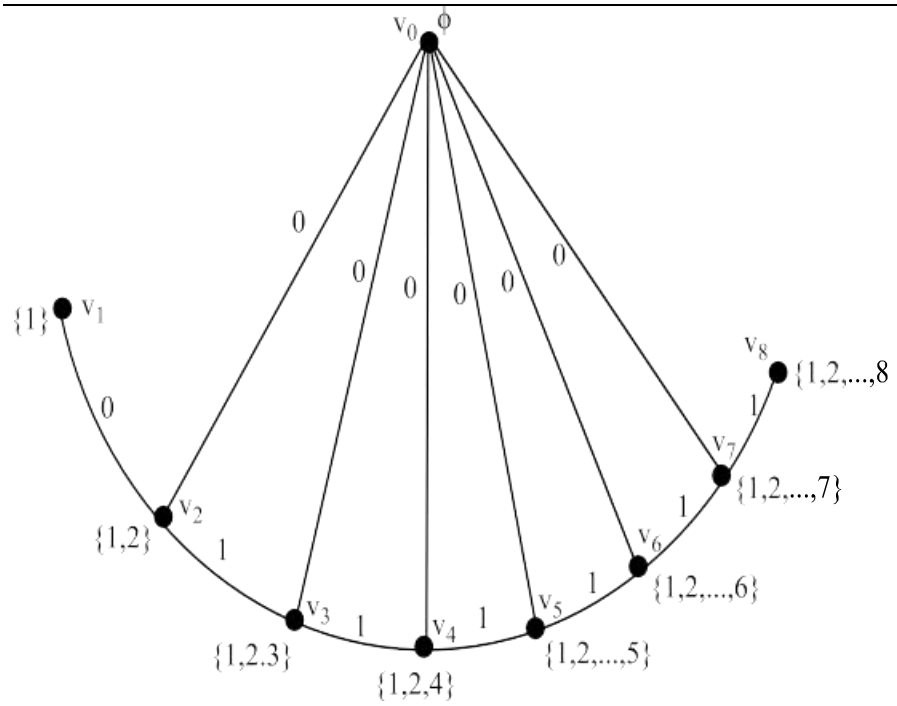
II. Topological cordial labeling of cycle relatedgraphs

Definition2.1 Let G be a diagram. Portray f: $(G) \to 2^X$such that {$((G))$} is a topography where X is any set with $|X| < n$, number of vertices of G. The activated ability $f*$on E(G) is described by

$$f*(uv) = f(u) \cap f(v) = \begin{cases} 1\ if\ (u) \cap (v) \text{is not an empty set and singleton set} \\ 0\ if\ f(u) \cap f(v)\ is \text{a void and singletonset.} \end{cases}$$

Further, $|(0) - ef(1)| \leq 1$ where $ef(0)$ = number of edges set apart with 0 and$ef(1)$= number of edges named with 1. We say that f is a topological warm checking and a graph which surrenders such a naming is called topological cordialgraph.

Speculation 2.4A vertex trading of cycle Cn (VSCn) is a topological earnest diagram for all $n \geq 3$.



Conclusion

In this paper oversees topological true charts. The mark of this paper is to make a progress to an unrivaled perception of topological pleasant labeling.The following open issue is considered for the future work. 1. What is the topological warm naming of way related graphs.2.What is the topological inviting checking of Franklin outline.

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